



Cohen h^2 for one-sample (`es_cohen_h2_os`)

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Introduction

The `es_cohen_h2_os` function (and `es_cohen_h2_os_arr` in VBA) calculates an effect size known as Cohen's h^2 for a one-sample test. This effect size measure can be used with a one-sample binomial test, Wald, or Score test.

This document contains the details on how to use the functions, and formulas used in them.

1 About the Function

1.1 Input parameters:

- **data**
The data to be used. Note for Python this needs to be a pandas data series.

- *Optional parameters*
 - **codes** (default is none)
Two codes for the two categories to be compared. For example, if the data has a list of scores with "national" and "international", the codes used can be exactly those: "national", "international".
This makes it possible to also use a nominal data set (with more than two categories) and then select the two for this test to be used, and keep it in line with a one-sample binomial, Wald, or score test.

 - **p0** (default is 0.5)
The hypothesized proportion for the first category (as in codes or found in data).

 - **out** (default is "value") – only applies to VBA non-array function
Choice what to show as result. Either:
 - "value": show the effect size value
 - "qual": show the qualification



1.2 Output:

- The **value**, and the **classification**. Except for the non-array version in VBA (Excel) which will only show the requested output via the 'out' parameter.
- The array version in VBA (*es_cohen_h2_os_arr*) requires **two rows** and **two columns**.

1.3 Dependencies

- **Excel**
None.
You can run the **es_cohen_h2_os_addHelp** macro so that the function will be available with some help in the 'User Defined' category in the functions overview.
- **Python**
The following additional libraries will have to be installed:
 - *pandas*
the data input needs to be a pandas data series, and the output is also a pandas dataframe.
 - *math*
the build in library math from Python is needed for the asin function.
- **R**
No other libraries required.

2 Examples

2.1 Excel

	A	B	C	D	E	F	G	H
1	data							
2	1							
3	2		value	-0,37731	=es_cohen_h2_os(A2:A20;;;C3)			
4	2		qual	medium	=es_cohen_h2_os(A2:A20;;;C4)			
5	1							
6	2		Cohen h2	Qualification				
7	2		-0,37731	medium				
8	1							
9	1		C6:D7	=es_cohen_h2_os_arr(A2:A20)				
10	2							
11	2							
12	2							
13	2							
14	2							
15	2							
16	1							
17	2							
18	1							
19	2							
20	2							
21								



2.2 Python

```
[2]: #example
dataList = ['Female', 'Male', 'Male', 'Female', 'Male', 'Male', 'Female', 'Female',
            'Male', 'Male', 'Male', 'Male', 'Male', 'Male', 'Female', 'Male',
            'Female', 'Male', 'Male']
data = pd.Series(dataList)

[3]: es_cohen_h2_os(data)

[3]:  Cohen h2  Classification
0    0.37731      Medium

[4]: codes = ["Female", "Male"]
es_cohen_h2_os(data, codes)

[4]:  Cohen h2  Classification
0   -0.37731      Medium
```

2.3 R

```
> data <- c("Female", "Male", "Male", "Female", "Male", "Male", "Female",
+          "Female", "Male", "Male", "Male", "Male", "Male", "Male",
+          "Female", "Male", "Female", "Male", "Male")
> es_cohen_h2_os(data)
      h2 classify
1 -0.37731  medium
> |
```

3 Details of Calculations

3.1 The Effect Size

For one-sample:

$$h_2 = \phi_1 - \phi_{h_0}$$

With

$$\phi_i = 2 \times \arcsin(\sqrt{p_i})$$

$$p_i = RF_i = \frac{F_i}{n}$$

$$n = \sum_{i=1}^k F_i$$

Symbols:

F_i the (absolute) frequency (count) of category i

n the sample size, i.e. the sum of all frequencies

p_i the proportion of cases in category i

p_{h_0} the expected proportion

RF_i the relative frequency of category i



3.2 Interpretation

To convert an h_2 to h use:

$$h = h_2 \times \sqrt{2}$$

Table 1

Rule of thumb for Cohen h interpretation

<i>Cohen's h</i>	<i>Interpretation</i>
0.00 < 0.20	Negligible
0.20 < 0.50	Small
0.50 < 0.80	Medium
0.80 or more	Large

Note. Adapted from Cohen (1988, pp. 184–185)

4 Source

Cohen's g can be found in *Statistical power analysis for the behavioral sciences* (2nd ed) (Cohen, 1988), on page 147.

(5.2.1)	$g = P - .50$ or $.50 - P$	(directional),
and	$g = P - .50 $	(nondirectional).

(Cohen, 1988, p. 147)

References

Cohen, J. (1988). *Statistical power analysis for the behavioral sciences* (2nd ed.). L. Erlbaum Associates.